| Teaching Guide | | | | | |
|---------------------|---|------------------------------|---------------------------------|--------------------------------|--|
| | ldentifying E | Data | | 2015/16 | |
| Subject (*) | Alxebra | | Code | 770G01006 | |
| Study programme | Grao en Enxeñaría Electrónica Industrial e Automática | | | | |
| Descriptors | | | | | |
| Cycle | Period Year Type | | Credits | | |
| Graduate | 2nd four-month period | First | FB | 6 | |
| Language | Galician | | | ' | |
| Teaching method | Face-to-face | | | | |
| Prerequisites | | | | | |
| Department | Matemáticas | | | | |
| Coordinador | Suarez Peñaranda, Vicente | E-mail | vicente.suarez. | naranda@udc.es | |
| Lecturers | Suarez Peñaranda, Vicente | E-mail | vicente.suarez.penaranda@udc.es | | |
| Web | | ' | ' | | |
| General description | We described in this course basic co | ncepts of linear algebra and | differential geometry, w | hose exposure can be developed | |
| | in step 3 are | | | | |

| | Study programme competences |
|------|--|
| Code | Study programme competences |
| A6 | Capacidade para a resolución dos problemas matemáticos que se poidan suscitar na enxeñaría. Aptitude para aplicar os coñecementos |
| | sobre: álxebra lineal; xeometría; xeometría diferencial; cálculo diferencial e integral; ecuacións diferenciais e en derivadas parciais; |
| | métodos numéricos; algorítmica numérica; estatística e optimización. |
| A9 | Capacidade de visión espacial e coñecemento das técnicas de representación gráfica, tanto por métodos tradicionais de xeometría |
| | métrica e xeometría descritiva como mediante as aplicacións de deseño asistido por ordenador. |
| B1 | Capacidade de resolver problemas con iniciativa, toma de decisións, creatividade e razoamento crítico. |
| B2 | Capacidade de comunicar e transmitir coñecementos, habilidades e destrezas no campo da enxeñaría industrial. |
| В3 | Capacidade de traballar nun contorno multilingüe e multidisciplinar. |
| B4 | Capacidade de traballar e aprender de forma autónoma e con iniciativa. |
| В6 | Capacidade de usar adecuadamente os recursos de información e aplicar as tecnoloxías da información e as comunicacións na |
| | enxeñaría. |
| C1 | Expresarse correctamente, tanto de forma oral coma escrita, nas linguas oficiais da comunidade autónoma. |
| C6 | Valorar criticamente o coñecemento, a tecnoloxía e a información dispoñible para resolver os problemas cos que deben enfrontarse. |

| Learning outcomes | | | |
|---|-------|----------|------|
| Learning outcomes | Study | y progra | amme |
| | COI | mpeten | ces |
| Modeling and solving mathematical problems in the field of engenengineering. | A6 | B1 | C1 |
| | | B2 | C6 |
| | | В3 | |
| | | B4 | |
| | | В6 | |
| Possessing own scientific mathematical skills, enabling it to ask and answer some math questions. | A6 | B1 | C1 |
| | | B2 | C6 |
| | | В3 | |
| | | B4 | |
| | | B6 | |

| Create linear models that approximate problems to solve. Having ability to apply knowledge of Linear Algebra and Differential | A6 | B1 | C1 |
|---|----|----|----|
| Geometry. | A9 | B2 | C6 |
| | | В3 | |
| | | B4 | |
| | | B6 | |
| Understand mathematical models that explain the behavior of a fluid in a 1-dimensional space. | A6 | B1 | C1 |
| | | B2 | C6 |
| | | В3 | |
| | | B6 | |
| Knowing how to use numerical methods in solving some mathematical problems that arise. | A6 | B1 | C1 |
| | | B2 | C6 |
| | | В3 | |
| | | В6 | |
| Knowing the thoughtful use of tools symbolic and numeric computation. | A6 | B4 | C6 |
| | | В6 | |

| | Contents |
|------------------|---|
| Topic | Sub-topic |
| Path Integral | Paths in Rn. Reparameterizations. Line integrals of scalar functions. Applications of |
| | the integrals of scalar functions. Integrals of vector fields. Gradient type functions. |
| | Green theorem. |
| Surface integral | Cross product. Sufaces in R3. Area of a surface. Integral of a scalar function. |
| | Oriented surfaces. Integral of vector fileds. Divergence. Gauss Theorem. Curl. Stokes |
| | Theorem. |
| Vector spaces | The vector space Rn. Operations: vector addition, scalar multiplication. Vector |
| | subspaces. Direct sum. Linear combination, linear span. Linear independence. |
| | Spaning set. Basis and dimension. Theorems about basis. Coordinates, change of |
| | coordinates. |
| Linear maps | Linear maps. Properties of the linear maps. Kernel and Image of a linear map. |
| | Operations with linear maps. Matrix associated to a linear map. |
| Diagonalization | Invariant subspaces. Eigenvalues and eigenvectors. Characteristic polynomial. |
| | Diagonalizable endomorphism. |

| ary class Student?s pours work hours 21 42 0 7 | ours 63 7 |
|--|-----------|
| 21 42 0 7 | 63 |
| 0 7 | 7 |
| | 7 |
| 10 | |
| 12 12 | 24 |
| 4 14 | 18 |
| 6 0 | 6 |
| 12 18 | 30 |
| 2 0 | 2 |
| _ | |

| | Methodologies |
|-------------------|--|
| Methodologies | Description |
| Guest lecture / | We present the contents of the subject. Examples of applications are developed and related activities are proposed. |
| keynote speech | |
| Document analysis | We discuss the different notations in mathematics. The sources of information are commented: books, magazines, webpages. |

| Directed discussion | The students debate about how to solve problems. They discusse if the results achieved are meaningless. | |
|----------------------|---|--|
| Mixed | Its aim is to determine the degree of knowledge that students get at classes and with their personal study. It may consist of a | |
| objective/subjective | explanation of any content of the course, the answer of test questions, the resolution of theoretical and practical issues and | |
| test | developing solutions to issues involving deep knowledge of the subject. | |
| Laboratory practice | Its aim is to apply computer programs to solve problems commented in the lectures. | |
| Problem solving | | |
| | With them we move from theory to practice. Specific problems of the subject developed in the lectures are solved. | |

| Personalized attention | | |
|------------------------|---|--|
| Methodologies | Description | |
| Directed discussion | The personal attention allows to adapt the study to the level of knowledge and competence of each student. Individual | |
| Problem solving | attention of the students optimizes time spent studying and allows correct misconceptions. | |
| Guest lecture / | | |
| keynote speech | | |
| Laboratory practice | | |

| Assessment | | | |
|----------------------|----------------|---|---------------|
| Methodologies | Competencies | Description | Qualification |
| Problem solving | A6 C6 | We will formulate practical issues in which students have to seek a solution to a given | 20 |
| | | problem. | |
| Mixed | A6 B1 B4 C1 C6 | They are tests made for measuring the level of knowledge of the subject by students. | 75 |
| objective/subjective | | They do not have a defined profile, as they can range from test questions in which the | |
| test | | student must only choose one answer among the options proposed, or solving | |
| | | problems involving an action strategy or theoretical questions that reflect the degree of | |
| | | knowledge of the subject. | |
| Laboratory practice | A6 A9 B4 B6 | Students should know the functioning of a computer program that helps resolve | 5 |
| | | mechanical problems raised previously. | |

Assessment comments

The final grade of the subject consists of three parts:

- i) Problem solving: It's made through written tests and the development of classes in the classroom, where the teacher assesses individually the degree of knowledge of the subject of each student. This part represents 20% of the grade.
- ii) performing laboratory practice, where students will learn to use the software that provides the teacher. This part represents 5% or qualification.
- iii) Mixed objective/subjective test. This part represents 75% of the grade for students, of which 5% is evidence of laboratory practices.

| | Sources of information |
|---------------|--|
| Basic | - Prieto Sáez, E. y otros (1995). Matemáticas I: economía y empresa. Centro de estudios Ramón Areces |
| | - Ladra González y otros (2003). Preguntas test de álbegra lineal y cálculo vectorial. J.B.Castro Ambroa y Copybelér |
| | - Grossman, S. (1995). Álgebra lineal con aplicaciones. McGraw-Hill |
| | - Granero Rodríguez, F. (1991). Álgebra y geometría analítica. McGraw-Hill |
| | - Besada Morais, M. y otros (2008). Calculo vectorial e ecuacións diferenciais. Servizo publicacións da Universidade |
| | de Vigo |
| | - Roberto Benavent (2010). Cuestiones sobre Álgebra Lineal. Paraninfo |
| | - Guillem Borrell i Nogueras (2008). Introducción a Matlab y Octave. http://iimyo.forja.rediris.es/matlab/ |
| | - Nakos, G. y otros (1999). Álgebra lineal con aplicaciones. Thomson |
| | |
| | |
| Complementary | |



| | Recommendations | |
|----------------------------------|--|--|
| | Subjects that it is recommended to have taken before | |
| | | |
| Su | bjects that are recommended to be taken simultaneously | |
| Fisíca II/770G01007 | | |
| | Subjects that continue the syllabus | |
| Ecuacións Diferenciais/770G01011 | | |
| | Other comments | |

<p> The student must know the content of the subjects of Mathematics studied at ESO and high school. Those students from Profesional Learning should study the basic concepts related to applications, functions and integration of real functions of real variable, which are contained in the curricula of high school, and are not in Profesional Learning. </p>

(*)The teaching guide is the document in which the URV publishes the information about all its courses. It is a public document and cannot be modified. Only in exceptional cases can it be revised by the competent agent or duly revised so that it is in line with current legislation.